



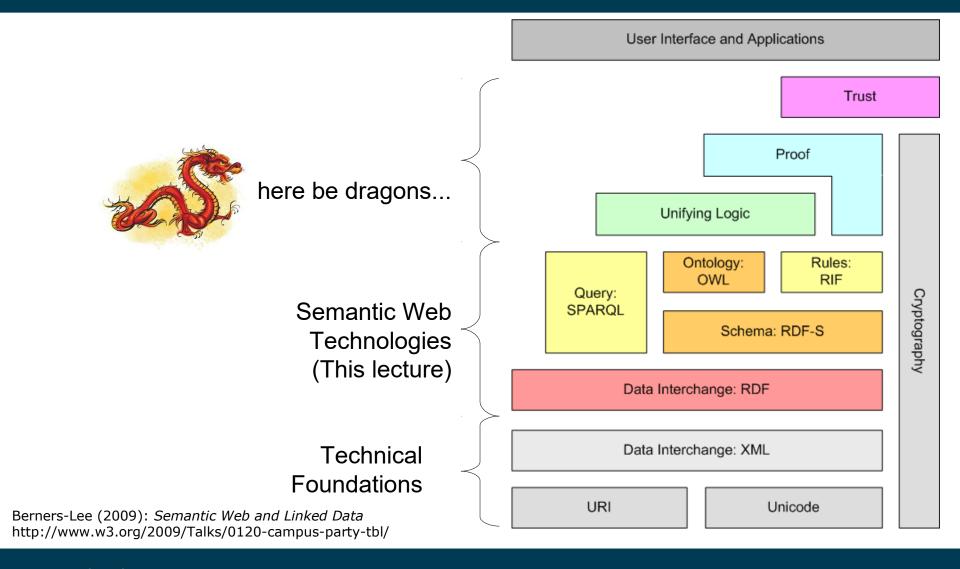
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# Previously on "Semantic Web Technologies"

- We have got to know
  - OWL, a more powerful ontology language than RDFS
  - Simple ontologies and some reasoning
  - Sudoku solving
- Today
  - New constructs in OWL2
  - Russell's paradox
  - Reasoning in OWL
  - Complexity of ontologies
  - A peek at rule languages for the Semantic Web



#### **Semantic Web – Architecture**



#### **OWL2 – New Constructs and More**

- Five years after the first OWL standard
- OWL2: 2009
  - Syntactic sugar
  - New language constructs
  - OWL profiles



- Qualified relations
- Reflexive, irreflexive, and antisymmetric properties



## **OWL2: Syntactic Sugar**

Disjoint classes and disjoint unions

```
- OWL 1:
  :Wine owl:equivalentClass [
    a owl:Class ;
    owl:unionOf (:RedWine :RoséWine :WhiteWine) ] .
  :RedWine owl:disjointWith :RoséWine, :WhiteWine .
  :RoséWine owl:disjointWith :WhiteWine .
- OWL 2:
  :Wine owl:disjointUnionOf
    (:RedWine :RoséWine :WhiteWine ).
Also possible:
  :x a owl:AllDisjointClasses ;
      owl:members (:RedWine :RoséWine WhiteWine ).
```

## **OWL2: Syntactic Sugar**

- Negative(Object|Data)PropertyAssertation
- Allow negated statements
- e.g.: Paul is not Peter's father

```
_x [ a owl:NegativeObjectPropertyAssertion;
        owl:sourceIndividual :Paul ;
        owl:targetIndividual :Peter ;
        owl:assertionProperty :fatherOf ] .
```

- If that's syntactic sugar, it must also be possible differently
  - But how?

# **OWL2: Syntactic Sugar**

- Negative(Object|Data)PropertyAssertion
- Replaces less intuitive set constructs
- Paul is not Peter's father

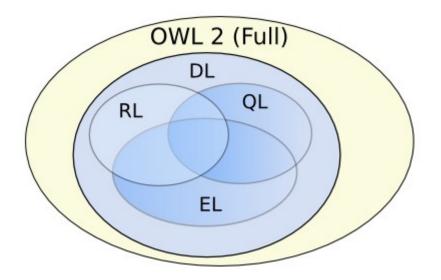
#### **OWL2: Reflexive Class Restrictions**

- Using hasSelf
- Example: defining the set of all autodidacts:

```
:AutoDidact owl:equivalentClass [
  a owl:Restriction ;
  owl:onProperty :teaches ;
  owl:hasSelf "true"^^xsd:boolean ] .
```

#### **OWL2: Profiles**

- Profiles are subsets of OWL2 DL
  - EL, RL und QL
  - Similar to complexity classes
- Different runtime and memory complexity
- Depending on requirements



#### **OWL2 Profile**

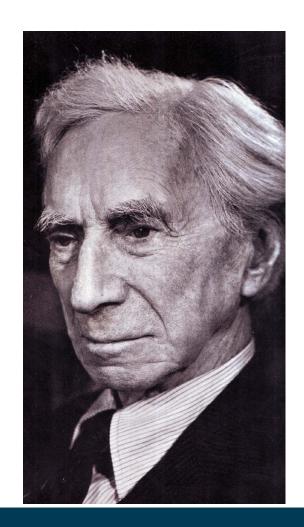
- OWL2 EL (Expressive Language)
  - Fast reasoning on many standard ontologies
  - Restrictions, e.g.:
    - someValuesFrom, but not allValuesFrom
    - No inverse and symmetric properties
    - No unionOf and complementOf
- OWL2 QL (Query Language)
  - Fast query answering on relational databases
  - Restrictions, e.g.:
    - No unionOf, allValuesFrom, hasSelf, ...
    - No cardinalities and functional properties

#### **OWL2 Profile**

- OWL2 RL (Rule Language)
  - Subset similar to rule languages such as datalog
    - subClassOf is translated to a rule (Person ← Student)
  - Restrictions, e.g.:
    - Only qualified restrictions with 0 or 1
    - Some restrictions for head and body
- The following holds for all three profiles:
  - Reasoning can be implemented in polynomial time for each of the three
  - Reasoning on the union of two profiles only possible in exponential time

- A classic paradox by Bertrand Russell, 1918
- In a city, there is exactly one barber who shaves everybody who does not shave themselves.

Who shaves the barber?



Class definitions

```
:People owl:disjointUnionOf
(:PeopleWhoShaveThemselves
   :PeopleWhoDoNotShaveThemselves ) .
```

Relation definitions:

```
:shavedBy rdfs:domain :People .
:shavedBy rdfs:range :People .
:shaves owl:inverseOf :shavedBy .
```

Every person is shaved by exactly one person:

```
:People rdfs:subClassOf [
  a owl:Restriction ;
  owl:onProperty :shavedBy ;
  owl:cardinality "1"^^xsd:integer ] .
```

Then, we define the barber:

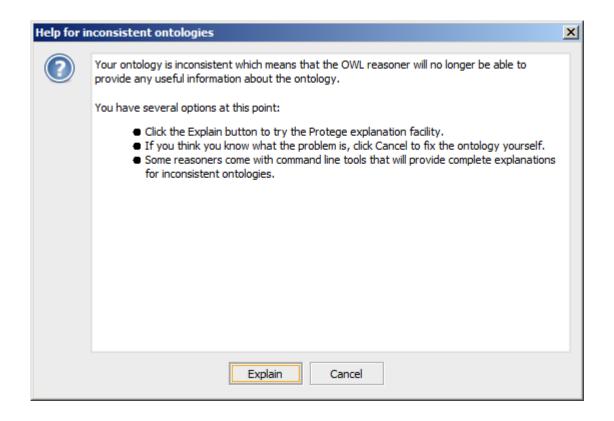
```
:Barbers rdfs:subClassOf :People ;
    owl:equivalentClass [
        rdf:type owl:Class ;
        owl:oneOf ( :theBarber )
] .
```

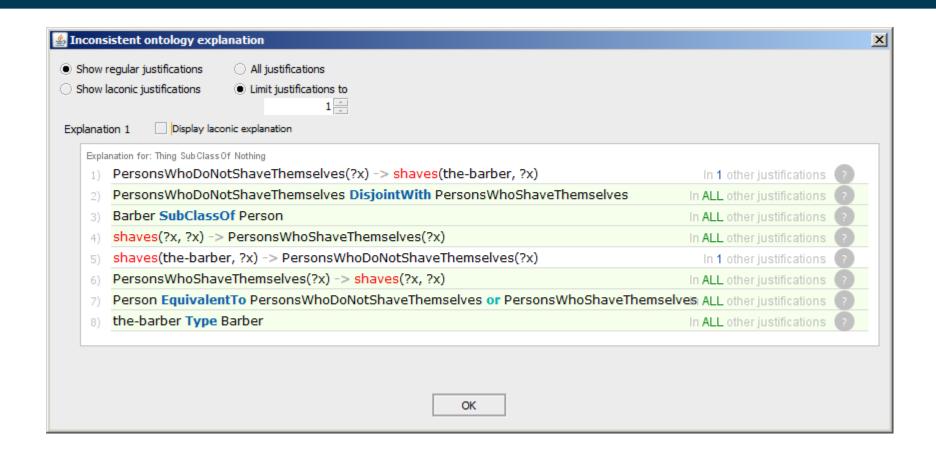
Definition of people shaving themselves:

```
:PeopleWhoShaveThemselves owl:equivalentClass [
  rdf:type owl:Class;
  owl:intersectionOf
  ( :People
      [
        a owl:Restriction;
        owl:onProperty :shavedBy;
        owl:hasSelf "true"^^xsd:boolean
      ]
    )
] .
```

Definition of people who do not shave themselves:

```
:PeopleWhoDoNotShaveThemselves owl:equivalentClass [
   a owl:Class ;
   owl:intersectionOf (
    :People
    [ a owl:Restriction
        owl:onProperty :shavedBy ;
        owl:allValuesFrom :Barbers
   ]
   )
] .
```





## Reasoning in OWL DL

- We have seen reasoning for RDFS
  - Forward chaining algorithm
  - Derive axioms from other axioms
- Reasoning for OWL DL is more difficult
  - Forward chaining may have scalability issues
  - Conjunction (e.g., unionOf) is not supported by forward chaining
  - Different approach: Tableau Reasoning
  - Underlying idea: find contradictions in ontology
    - i.e., both a statement and its opposite can be derived from the ontology

## **Typical Reasoning Tasks**

- What do we want to know from a reasoner?
  - Subclass relations
    - e.g., Are all birds flying animals?
  - Equivalent classes
    - e.g., Are all birds flying animals and vice versa?
  - Disjoint classes
    - e.g., Are there animals that are mammals and birds at the same time?
  - Class consistency
    - e.g., Can there be mammals that lay eggs?
  - Class instantiation
    - e.g., Is Flipper a dolphin?
  - Class enumeration
    - e.g., List all dolphins

### **Example: A Simple Contradiction**

Given:

```
:Human a owl:Class .
:Animal a owl:Class .
:Human owl:disjointWith :Animal .
:Jimmy a :Animal .
:Jimmy a :Human .
```

### **Example: A Simple Contradiction**

We can derive:

```
    - :Human ∩ :Animal = Ø
        owl:Nothing owl:intersectionOf (:Human :Animal) .
    - :Jimmy ∈ (:Human ∩ :Animal)
        :Jimmy a [ a owl:Class; owl:intersectionOf (:Human :Animal)] .
```

- i.e.:
  - :Jimmy ∈ Ø:Jimmy a owl:Nothing .
  - That means: the instance must not exist
  - but it does



### **Reasoning Tasks Revisited**

- Subclass Relations
  - Student ⊆ Person ⇔ "Every student is a person"
- Proof method: Reductio ad absurdum
  - "Invent" an instance i
  - Define Student(i) and ¬Person(i)
  - Check for contradictions
    - If there is one: Student ⊆ Person has to hold
    - If there is none: Student ⊆ Person cannot be derived
      - Note: it may still hold!

#### **Example: Subclass Relations**

Ontology:

```
:Student owl:subClassOf :UniversityMember .
:UniversityMember owl:subClassOf :Person .
```

Invented instance:

```
:i a :Student .
:i a [ owl:complementOf :Person ] .
```

We have

```
:i a :Student .
:Student owl:subClassOf :UniversityMember .
```

Thus

```
:i a :UniversityMember .
```

And from

```
:UniversityMember owl:subClassOf :Person .
```

We further derive that

```
:i a Person .
```

### **Example: Subclass Relations**

Now, we have

from which we derive

```
:i a owl:Nothing .
```

### **Reasoning Tasks Revisited**

- Class equivalence
  - Person ≡ Human
- Split into
  - Person ⊂ Human and
  - Human ⊂ Person
- i.e., show subclass relation twice
  - We have seen that
- Class disjointness
  - Are C and D disjoint?
  - "Invent" an instance i
  - Define C(i) and D(i)
    - We have done set (the Jimmy example)

## **Class Consistency**

- Can a class have instances?
  - e.g., married bachelors

```
:Bachelor owl:subClassOf :Man .
:Bachelor owl:subClassOf
  [ a owl:Restriction;
    owl:onProperty :marriedTo;
    owl:cardinality 0 ] .
:MarriedPerson owl:subClassOf [
    a owl:Restriction;
    owl:onProperty :marriedTo;
    owl:cardinality 1 ] .
:MarriedBachelor owl:intersectionOf
  (:Bachelor :MarriedPerson) .
```

- Now: invent an instance of the class
  - And check for contradictions

## **Reasoning Tasks Revisited**

- Class Instantiation
  - Is Flipper a dolphin?
- Check:
  - define ¬Dolphin(Flipper)
  - Check for contradiction
- Class enumeration
  - Repeat class instantiation for all known instances

## **Typical Reasoning Tasks Revisited**

- What do we want to know from a reasoner?
  - Subclass relations
    - e.g., Are all birds flying animals?
  - Equivalent classes
    - e.g., Are all birds flying animals and vice versa?
  - Disjoint classes
    - e.g., Are there animals that are mammals and birds at the same time?
  - Class consistency
    - e.g., Can there be mammals that lay eggs?
  - Class instantiation
    - e.g., Is Flipper a dolphin?
  - Class enumeration
    - e.g., List all dolphins

## **Typical Reasoning Tasks Revisited**

- We have seen
  - All reasoning tasks can be reduced to the same basic tasks
  - i.e., consistency checking
- This means: for building a reasoner that can solve those tasks,
  - We only need a reasoner capable of consistency checking

### **Ontologies in Description Logics Notation**

Classes and Instances

```
- C(x) \longleftrightarrow x a C.
- R(x,y) \leftrightarrow x R y.
- C \subseteq D \leftrightarrow C rdfs:subClassOf D
- C ≡ D \leftrightarrow C owl:equivalentClass D
- C \sqsubseteq \neg D \leftrightarrow C owl:disjointWith D
- C ≡ \negD \leftrightarrow C owl:complementOf D
- C \equiv D \sqcap E ↔ C owl:intersectionOf (D E).
- C ≡ D \cup E \leftrightarrow C owl:unionOf (D E) .
- \perp \longleftrightarrow owl:Nothing
```

### **Ontologies in Description Logics Notation**

Domains, ranges, and restrictions

```
- \exists R.T \sqsubseteq C \leftrightarrow R \text{ rdfs:domain } C.
- \forall R.C \leftrightarrow R \text{ rdfs:range } C.
- C \subseteq \forall R.D \leftrightarrow C owl:subClassOf
                     [ a owl:Restriction;
                        owl:onProperty R;
                        owl:allValuesFrom D 1 .
- C \subseteq \exists R.D \leftrightarrow C owl:subClassOf
                     [ a owl:Restriction;
                        owl:onProperty R;
                        owl:someValuesFrom D ] .
- C \subseteq \ge nR  \leftrightarrow C owl:subClassOf
                     [ a owl:Restriction;
                        owl:onProperty R;
                        owl:minCardinality n ] .
```

# Global Statements in Description Logic

- So far, we have seen mostly statements about single classes
  - e.g., C ⊑ D
- In Description Logics, we can also make global statements
  - e.g., D ⊔ E
  - This means: every single instance is a member of D or E (or both)
- Those global statements are heavily used in the reasoning process

# **Negation Normal Form (NNF)**

- Transforming ontologies to Negation Normal Form:
  - ⊑ und ≡ are not used
  - Negation only for atomic classes and axioms
- A simplified notation of ontologies
- Used by tableau reasoners

# **Negation Normal Form (NNF)**

- Eliminating ⊑:
  - Replace C 

    □ D by ¬C □ D
  - Note: this is a shorthand notation for  $\forall x : \neg C(x) \lor D(x)$
- Why does this hold?
  - $C \subseteq D$  is equivalent to  $C(x) \rightarrow D(x)$

C(x)	D(x)	$C(x) \rightarrow D(x)$	¬C(x) ∨ D(x)
true	true	true	true
true	false	false	false
false	true	true	true
false	false	true	true

# **Negation Normal Form (NNF)**

- Eliminating ≡:
  - Replace C ≡ D by C ⊑ D and D ⊑ C
  - Proceed as before
- i.e.: C ≡ D becomes

 $C \sqsubseteq D$ 

 $D \sqsubseteq C$ 

and thus

 $\neg C \sqcup D$ 

 $\neg D \mathrel{\sqcup} C$ 

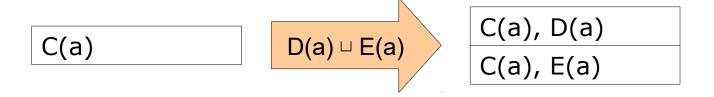
# **Negation Normal Form (NNF)**

Further transformation rules

```
- NNF(C) = C  (for atomic C)
- NNF(\neg C) = \neg C  (for atomic C)
- NNF(\neg \neg C) = C
- NNF(C \sqcup D) = NNF(C) \sqcup NNF(D)
- NNF(C \sqcap D) = NNF(C) \sqcap NNF(D)
– NNF(¬(C ¬ D))
                       = \mathsf{NNF}(\neg\mathsf{C}) \sqcup \mathsf{NNF}(\neg\mathsf{D})
                       = \mathsf{NNF}(\neg\mathsf{C}) \sqcap \mathsf{NNF}(\neg\mathsf{D})
– NNF(¬(C □ D))
- NNF(\forall R.C) = \forall R.NNF(C)
- NNF(\exists R.C) = \exists R.NNF(C)
- NNF(\neg \forall R.C) = \exists R.NNF(\neg C)
- NNF(\neg \exists R.C) = \forall R.NNF(\neg C)
```

# The Basic Tableau Algorithm

- Tableau: Collection of derived axioms
  - Is subsequently extended
  - As for forward chaining
- In case of conjunction
  - Split the tableau



# When is an Ontology Free of Contradictions?

- Tableau is continuously extended and split
- Free of contradictions if...
  - No further axioms can be created
  - At least one partial tableau is free of contradictions
  - A partial tableau has a contradiction if it contains both an axiom and its negation
    - e.g.. Person(Peter) und ¬Person(Peter)
    - The partial tableau is then called closed

# The Basic Tableau Algorithm

Given: an ontology O in NNF While not all partial tableaus are closed \* Choose a non-closed partial tableau T and an A  $\, \epsilon \,$  O  $\, \cup$  T If A is not contained in T If A is an atomic statement add A to T back to \* If A is a non-atomic statement Choose an individual i  $\epsilon$  O  $\cup$ T Add A(i) to T back to \* else Extend the tableau with consequences from A back to \*

## The Basic Tableau Algorithm

Extending a tableau with consequences

Nr	Axiom	Action
1	C(a)	Add C(a)
2	R(a,b)	Add R(a,b)
3	С	Choose an individual a, add C(a)
4	(C □ D)(a)	Add C(a) and D(a)
5	(C ⊔ D)(a)	Split tableau into T1 and T2. Add C(a) to T1, D(a) to T2
6	(∃R.C)(a)	Add R(a,b) and C(b) for a <i>new</i> Individual b
7	(∀R.C)(a)	For all b with R(a,b) $\epsilon$ T: add C(b)

Given the following ontology:

```
:Animal owl:unionOf (:Mammal :Bird :Fish :Insect :Reptile) .
:Animal owl:disjointWith :Human .
:Seth a :Human .
:Seth a :Insect .
```

Is this knowledge base consistent?

Given the following ontology:

```
:Animal owl:unionOf (:Mammal :Bird :Fish :Insect :Reptile) .
:Animal owl:disjointWith :Human .
:Seth a :Human .
:Seth a :Insect .
```

– The same ontology in DL-NNF:

```
¬Animal □ ¬Human
Animal □ (¬Mammal □ ¬Bird □ ¬Fish □ ¬Insect □ ¬Reptile)
¬Animal □ (Mammal □ Bird □ Fish □ Insect □ Reptile)
Human(Seth)
Insect(Seth)
```

Let's try how reasoning works now!

Human(Seth), Insect(Seth)

Nr	Axiom	Action
1	C(a)	Add C(a)

Human(Seth), Insect(Seth), (¬Animal □ ¬Human)(Seth)

Nr	Axiom	Action
3	С	Choose an individual a, add C(a)

```
Human(Seth), Insect(Seth),
¬Animal(Seth)

Human(Seth), Insect(Seth),
¬Human(Seth)
```

Nr	Axiom	Action
5	(C ⊔ D)(a)	Split the tableau into T1 and T2. Add C(a) to T1, D(a) to T2

```
Human(Seth), Insect(Seth),
¬Animal(Seth)
Animal □ (¬Mammal □ ¬Bird □ ¬Fish □ ¬Insect)(Seth)
Human(Seth), Insect(Seth),
¬Human(Seth)
```

Nr	Axiom	Action
3	С	Choose an individual a, add C(a)

```
Human(Seth), Insect(Seth),

¬Animal(Seth)

Animal(Seth)

Human(Seth), Insect(Seth),

¬Animal(Seth)

(¬Mammal ¬¬Bird ¬¬Fish ¬¬Insect ¬¬Reptile)(Seth)

Human(Seth), Insect(Seth),

¬Human(Seth)
```

Nr	Axiom	Action
5	(C ⊔ D)(a)	Split the tableau into T1 and T2. Add C(a) to T1, D(a) to T2

```
Human(Seth), Insect(Seth),
¬Animal(Seth)
Animal(Seth)
Human(Seth), Insect(Seth),
¬Animal(Seth)
(\neg Mammal \sqcap \neg Bird \sqcap \neg Fish \sqcap \neg Insect \sqcap \neg Reptile)(Seth)
¬Mammal(Seth)
\negBird(Seth)
¬Fish(Seth)
\negInsect(Seth)
¬Reptile(Seth)
Human(Seth), Insect(Seth),
¬Human(Seth)
```

Nr	Axiom	Action
4	(C □ D)(a)	Add C(a) and D(a)

Again, a simple ontology:

```
:Woman rdfs:subClassOf :Person .
:Man rdfs:subClassOf :Person .
:hasChild rdfs:domain :Person .
:hasChild rdfs:range :Person .
:Peter :hasChild :Julia .
:Julia a :Woman .
:Peter a :Man .
```

in DL NNF:

```
¬Man □ Person
¬Woman □ Person
¬∃hasChild.T □ Person
∀hasChild.Person
hasChild(Peter,Julia)
Woman(Julia)
Man(Peter)
```

hasChild(Peter,Julia)

Nr	Axiom	Action
2	R(a,b)	Add R(a,b)

hasChild(Peter,Julia), Woman(Julia)

Nr	Axiom	Action
1	C(a)	Add C(a)

hasChild(Peter,Julia), Woman(Julia), (¬∃hasChild.T ⊔ Person)(Peter)

Nr	Axiom	Action
3	С	Choose an individual a, add C(a)

```
hasChild(Peter,Julia), Woman(Julia),
(¬∃hasChild.T □ Person)(Peter),
¬∃hasChild.T(Peter)

hasChild(Peter,Julia), Woman(Julia),
(¬∃hasChild.T)(Peter),
Person(Peter)
```

Nr	Axiom	Action
5	(C ⊔ D)(a)	Split the tableau into T1 and T2. Add C(a) to T1, D(a) to T2

```
hasChild(Peter,Julia), Woman(Julia),
(¬∃hasChild.T □ Person)(Peter),
¬∃hasChild.T(Peter)
hasChild(Peter,Julia), Woman(Julia),
(¬∃hasChild.T)(Peter),
Person(Peter),
¬hasChild(Peter,b0),T(b0)
```

Nr	Axiom	Action
6	(∃R.C)(a)	Add R(a,b) und C(b) for a <i>new</i> Individual b

```
hasChild(Peter,Julia), Woman(Julia),
(¬∃hasChild.T □ Person)(Peter),
¬∃hasChild.T(Peter)

hasChild(Peter,Julia), Woman(Julia),
(¬∃hasChild.T)(Peter),
Person(Peter),
¬hasChild(Peter,b0),T(b0),
¬hasChild(Peter,b1),T(b1),
...
```

Nr	Axiom	Action
6	(∃R.C)(a)	Add R(a,b) und C(b) for a <i>new</i> Individual b

# **Introducing Rule Blocking**

- Observation
  - The tableau algorithm does not necessarily terminate
  - We can add arbitrarily many new axioms

Nr	Axiom	Action
6	(∃R.C)(a)	Add R(a,b) und C(b) for a <i>new</i> Individual b

- Idea: avoid rule 6 if no new information is created
  - i.e., if we already created one instance b<sub>a</sub> for instance a,
     then block using rule 6 for a.

# Tableau Algorithm with Rule Blocking

Given: an ontology O in NNF
 While not all partial tableaus are closed and further axioms can be created
 \* Choose a non-closed partial tableau T and a non-blocked A ∈ O ∪T If A is not contained in T
 If A is an atomic statement add A to T back to \*
 If A is a non-atomic statement Choose an individual i ∈ O ∪T

Add A(i) to T

back to \*

else

Extend the tableau with consequences from A If rule 6 was used, block A for T back to \*

## Tableau Algorithm: Wrap Up

- An algorithm for description logic based ontologies
  - works for OWL Lite and DL
- We have seen examples for some OWL expressions
  - Other OWL DL expressions can be "translated" to DL as well
  - And they come with their own expansion rules
  - Reasoning may become more difficult
    - e.g., dynamic blocking and unblocking

## **Optimizing Tableau Reasoners**

Given: an ontology O in NNF While not all partial tableaus are closed and further axioms can be created Choose a non-closed partial tableau T and a non-blocked A  $\,arepsilon\,$  O  $\,\cup$  T If A is not contained in T If A is an atomic statement add A to T back to \* If A is a non-atomic statement Choose an individual i  $\in O \cup T$ Add A(i) to T back to \* else Extend the tableau with consequences from A If rule 6 was used, block A for T back to \*

#### **OWL Lite vs DL Revisited**

- Recap: OWL Lite has some restrictions
  - Those are meant to allow for faster reasoning
- Restrictions only with cardinalities 0 and 1
  - Higher cardinalities make blocking more complex
- unionOf, disjointWith, complementOf, closed classes, ...
  - they all introduce more disjunctions
  - i.e., more splitting operations

# **Complexity of Ontologies**

- Reasoning is usually expensive
- Reasoning performance depends on ontology complexity
  - Rule of thumb: the more complexity, the more costly
- Most useful ontologies are in OWL DL
  - But there are differences
  - In detail: complexity classes

### **Simple Ontologies: ALC**

ALC: Attribute Language with Complement

- Allowed:
  - subClassOf, equivalentClass
  - unionOf, complementOf, disjointWith
  - Restrictions: allValuesFrom, someValuesFrom
  - domain, range
  - Definition of individuals

#### SHIQ, SHOIN & co

- Complexity classes are noted as letter sequences
- Using
  - S = ALC plus transitive properties (basis for most ontologies)
  - H = Property hierarchies (subPropertyOf)
  - O = closed classes (oneOf)
  - I = inverse properties (inversePropertyOf)
  - N = numeric restrictions (min/maxCardinality)
  - F = functional properties
  - Q = qualified numerical restrictions (OWL2)
  - (D) = Usage of datatype properties

#### **Some Tableau Reasoners**

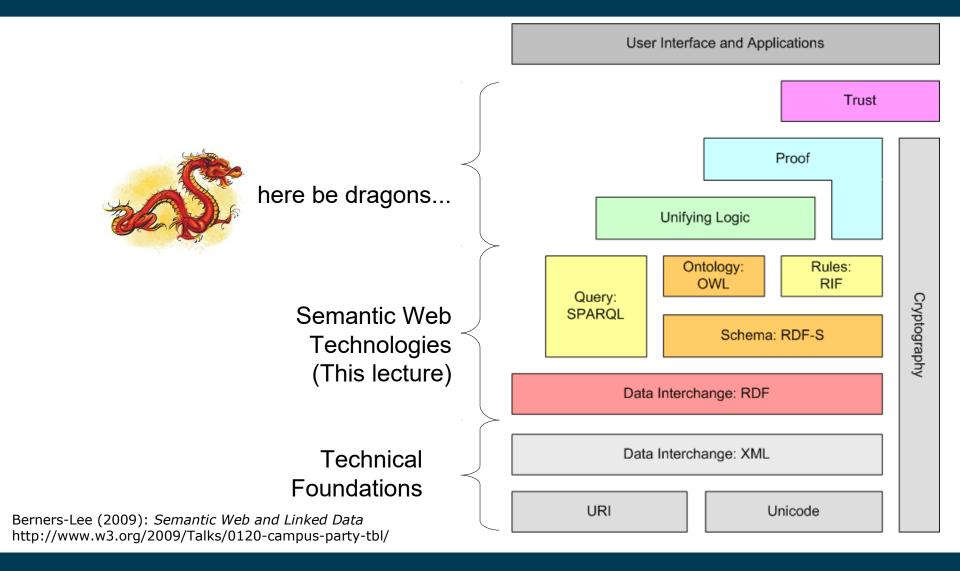
- Fact
  - University of Manchester, free
  - SHIQ
- Fact++/JFact
  - Extension of Fact, free
  - SHOIQ(and a little D), OWL-DL + OWL2
- Pellet
  - Clark & Parsia, free for academic use
  - SHOIN(D), OWL-DL + OWL2
- RacerPro
  - Racer Systems, commercial
  - SHIQ(D)

#### **Sudoku Revisited**

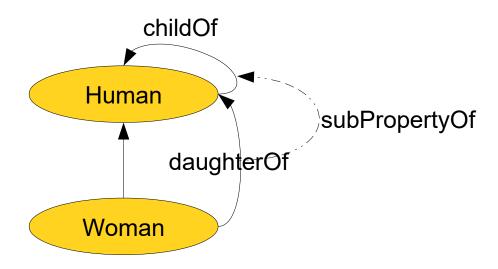
- Recap: we used a closed class
  - Plus some disjointness
- Resulting complexity: SO
- Which reasoners do support that?
  - Fact: SHIQ :-(
  - RacerPro: SHIQ(D) :-(
  - Pellet: SHOIN(D) :-)
  - HermiT: SHOIQ :-)

5	3			7				
6			1	9	5			
	9	8					6	
8				6				3
4			8		3			1
7				2				6
	6					2	8	
			4	1	9			5
				8			7	9

# Rules: Beyond OWL



- Some things are hard or impossible to express in OWL
- Example:
  - If A is a woman and the child of B then A is the daughter of B



Let's try this in OWL:

- What can a reasoner conclude with this ontology?
- Example:

```
:Julia :daughterOf :Peter .

→ :Julia a :Woman .
```

What we would like to have instead:

```
:Julia :childOf :Peter .
:Julia a :Woman .

→ :Julia :daughterOf :Peter .
```

What we would like to have:

```
daughterOf(X,Y) \leftarrow childOf(X,Y) \land Woman(X).
```

- Rules are flexible
- There are rules in the Semantic Web, e.g.
  - Semantic Web Rule Language (SWRL)
  - Rule Interchange Format (RIF)
  - See lecture in two weeks
- Some reasoners do (partly) support rules

## Wrap Up

- OWL comes in many flavours
  - OWL Lite, OWL DL, OWL Full
  - Detailed complexity classes of OWL DL
  - Additions and profiles from OWL2
  - However, there are still some things that cannot be expressed...
- Reasoning is typically done using the Tableau algorithm

# **Questions?**

